## 1172-47-93 Maria Tjani\* (mtjani@uark.edu). Complex symmetric composition operators on weighted Hardy spaces.

A bounded linear operator T on a complex Hilbert space  $\mathcal{H}$  is called complex symmetric if there exists an isometric and conjugate-linear involution C of  $\mathcal{H}$  such that  $T = CT^*C$ . Let  $\varphi$  be an analytic self-map of the open unit disk  $\mathbb{D}$ . We study the complex symmetry of composition operators  $C_{\varphi}$  on weighted Hardy spaces induced by a bounded sequence. For any analytic self-map of  $\mathbb{D}$  that is not an elliptic automorphism, we establish that if  $C_{\varphi}$  is complex symmetric, then either  $\varphi(0) = 0$  or  $\varphi$  is linear. In the case of weighted Bergman spaces  $A^2_{\alpha}$ , we find the non-automorphic linear fractional symbols  $\varphi$  such that  $C_{\varphi}$  is complex symmetric. This is joint work with Sivaram K. Narayan and Daniel Sievewright. (Received August 19, 2021)