1146-54-470 Joan S Birman (jb@math.columbia.edu), Department of Mathematics, Columbia University, New York City, NY 10027, Matthew J Morse (mmorse@cs.nyu. edu), Department of Computer Science, NYU, New York City, NY 10012, and Nancy C Wrinkle* (n-wrinkle@neiu.edu), Department of Mathematics, Northeastern Illinois University, Chicago, IL 60625. Studying distance in the curve graph of a surface. Preliminary report.
We will begin this talk by examining the cellular decomposition of a closed orientable surface $S, D e c_{v, w}(S)=S \backslash(v \cup w)$, induced by a filling pair of curves, to see what it tells us about the intersection number $i(v, w)$ and the distance function $d$ in the curve graph of $S$. We work in the setting of efficient geodesics, which were introduced by Birman, Margalit, and Menasco in 2014 (BMM). They gave an algorithm that begins with a pair of non-separating filling curves and computes from them a finite set of efficient geodesics. We will review then extend the notions of efficient geodesics to study the relationship between distance $d(v, w)$, intersection number $i(v, w)$, and $D e c_{v, w}(S)$. We will also describe some data we have for distances 3 and 4 and genus 2, produced by a computer program called MICC (Metric in the Curve Complex) that partly implements the BMM algorithm. Our main new result is the discovery and analysis of configurations of rectangles in $D e c_{v, w}(S)$, called spirals, which we will use to reduce $i(v, w)$ while preserving $d(v, w)$. We will then discuss open questions about how to use these spirals to increase distance. (Received January 28, 2019)

