1057-46-128Richard M Aron\* (aron@math.kent.edu), Department of Mathematics, Kent State University,<br/>Kent, OH 44240, and Galindo Pablo (pablo.galindo@uv.es), Departamento de Análisis<br/>Matemático, Universidad de Valencia, 46100 Burjassot (Valencia), Spain. Symmetric polynomials<br/>on spaces of continuous functions (preliminary report). Preliminary report.

Let  $X = \mathcal{C}(K)$  denote the continuous scalar-valued functions on a compact Hausdorff space K. We study the space  $\mathcal{P}_s(^nX)$  of continuous *n*-homogeneous polynomials  $P: X \to \mathbb{K}$  with the following symmetric property:

 $\forall \varphi : K \to K$ , homeomorphisms, and  $\forall f \in X$ ,  $P(f) = P(f \circ \varphi)$ .

In addition, we examine the algebra  $A_{us}(B_X)$  of symmetric, uniformly continuous holomorphic functions  $f: B \to \mathbb{C}$ . These concepts are generalizations of earlier work of R. Alencar, A. Zagorodnyuk, and the authors [Algebras of symmetric holomorphic functions on  $l_p$ , Bull. London Math. Soc. 35 (2003), no. 1, 55-64, Uniform algebras of symmetric holomorphic functions, to appear.].

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