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Let $A = M_n(F)$ be a full $n \times n$ matrix algebra over an algebraically closed field F. Given a group G, there are two basic ways to define a $G-$grading on A, elementary and fine. A G–grading on A is fine if and only if the support of the grading $H = \{g \in G \mid A_g \neq 0\}$ is a subgroup of G and A is isomorphic to the twisted group algebra F^cH for an appropriate two-cocycle $c \in Z^2(H, F^\times)$. We refer to such group H as a group of central type. Given a fine grading on A supported by a group of central type H, let $F\langle x_{i,g} | \ g \in H, i = 1, 2, \ldots\rangle$ be an associative H–graded free algebra, and T_H be the T–ideal of H–graded polynomial identities of A. Unlike the classical (non-graded) case the relatively free algebra $F\langle x_{i,g}\rangle/T_H$ may or may not be a domain. It is a domain exactly when H is on a precise list of families of nilpotent groups, called Λ. We describe generating set for T_H where H is any group of central type, and the minimal generating sets for groups on the list Λ. (Received February 09, 2009)