1021-03-134 J. Chisholm, J. F. Knight* (knight.1@nd.edu) and S. Miller. Solution to a problem on computable embeddings.

We show that if T and T' are strongly minimal theories, where T' satisfies a certain property related to triviality and T does not, and T' is model complete, then there is no computable embedding of Mod(T) into Mod(T'). Using this, we show that there is no computable embedding of the class of \mathbb{Q} -vector spaces into the class of models of $Th(\mathbb{Z}, S)$. Similarly, we show that there is no computable embedding of the class of algebraically closed fields of characteristic 0 into the class of models of $Th(\mathbb{Z}, S)$. (Received September 01, 2006)