## 1025-03-215 E. Todd Eisworth\* (eisworth@math.ohiou.edu), Department of Mathematics, Ohio University, Athens, OH 45701. Club-guessing and combinatorial set theory.

In the context of  $\lambda = \mu^+$  for  $\mu$  strong limit singular, we investigate a dichotomy concerning a certain club-guessing ideal. Letting I denote this ideal  $(\mathrm{id}_p(\bar{C}, \bar{I})$  for a particular sort of  $\bar{C}$  and  $\bar{I}$ ), the dichotomy arises when we ask if  $\lambda$  can be partitioned into  $\mu$  disjoint I-positive sets. If the answer is "yes", then there is a function  $c : [\lambda]^2 \to \lambda$  with extremely strong "anti-Ramsey" properties. If the answer is "no", then there is an ideal J on  $\lambda$  satisfying saturation properties strong enough to imply that every stationary subset of  $\{\delta < \lambda : \mathrm{cf}(\delta) \neq \mathrm{cf}(\mu)\}$  reflects. Open questions will be discussed as time permits. (Received January 23, 2007)