

**Meeting:** 1006, Lubbock, Texas, SS 15A, Special Session on Discrete Groups, Homogeneous Spaces, Rigidity

1006-37-147            **Seonhee Lim\*** (seonhee.lim@yale.edu), PO Box 208283, Department of Mathematics, Yale University, New Haven, CT 06520-8283. *Minimal volume entropy on trees*. Preliminary report.

Let  $X$  be a finite graph. Let us consider a graph  $(X, \ell)$  with length metric induced from the lengths of edges of  $X$ . The volume entropy of  $(X, \ell)$  is the volume entropy of its universal cover which is a metric tree. When we vary the lengths of edges (with suitable normalization  $\sum_{e \in EX} \ell_e = 1$ ), it seems natural to guess that the volume entropy should be minimal when the metric graph is as "symmetric" as possible. We show that when  $X$  is a regular graph, the minimal volume entropy is attained (only) when all the edges have equal length  $\frac{1}{|EX|}$ . Similar question can be asked for 2 dimensional (hyperbolic) buildings. (Received February 12, 2005)