

Meeting: 1002, Pittsburgh, Pennsylvania, SS 14A, Special Session on Modularity of Galois Representations and Serre's Conjecture

1002-11-28 **Michael M. Schein*** (mschein@math.harvard.edu), Department of Mathematics, Harvard University, 1 Oxford St., Cambridge, MA 02138. *Weights of Galois representations associated to Hilbert modular forms.* Preliminary report.

Let F be a totally real field, p a rational prime unramified in F , and \mathfrak{p} a place of F over p . Let $\bar{\rho}$ be a two-dimensional mod \mathfrak{p} representation of $Gal(\bar{F}/F)$ which is assumed to be modular of some weight and whose restriction to a decomposition subgroup at \mathfrak{p} is irreducible. We specify a set of weights, determined by the restriction of $\bar{\rho}$ to an inertia subgroup, which contains all the weights for which $\bar{\rho}$ is modular (and, conjecturally, nothing else). This proves a special case of a conjecture of F. Diamond, which provides an analogue of Serre's epsilon conjecture for Hilbert modular forms mod p . (Received July 12, 2004)